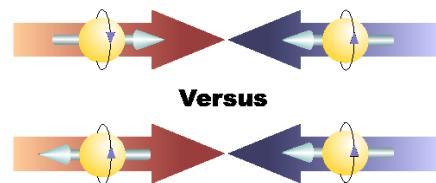


# Run12 $A_{LL}$ measurements with Forward $\pi^0$ – Barrel Jet Correlation

Yaping Wang (CCNU)  
Siwei Luo, Zhenyu Ye (UIC)



# Outline

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- Dataset introduction
- Analysis cuts
- Variable definitions
- Preliminary asymmetry results
- Discussion and next to do

# Dataset introduction

Dataset: 2012 pp longitudinal at  $\sqrt{s}=510$  GeV

Reconstructed EEMC trees location (~2.6 T): /star/u/ypwang/disk05/Run12Pi0s\_EEMC

Reconstructed jet trees location: /star/data05/scratch/zchang/Run12Jets\_new

/star/data05/scratch/zchang/Run12Jets\_new\_new

Macros/scripts for EEMC Tree production (TSIU algorithm used):

- scripts: /star/u/ypwang/disk03/pi0Trees3/submitBatch1.sh && submitBatch2and3.sh
- schedulers: /star/u/ypwang/disk03/pi0Trees3/scheduler
- macros: /star/u/ypwang/disk03/pi0Trees3/macros

Run number list (491 runs): /star/u/ypwang/disk03/pi0Trees3/runNumber\_final.list

Obtained from Run12 jet tree production (Zilong).

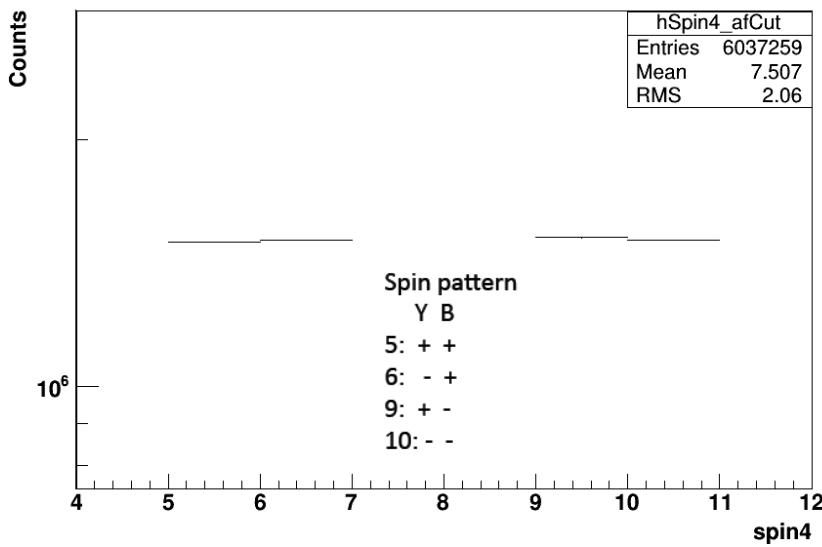
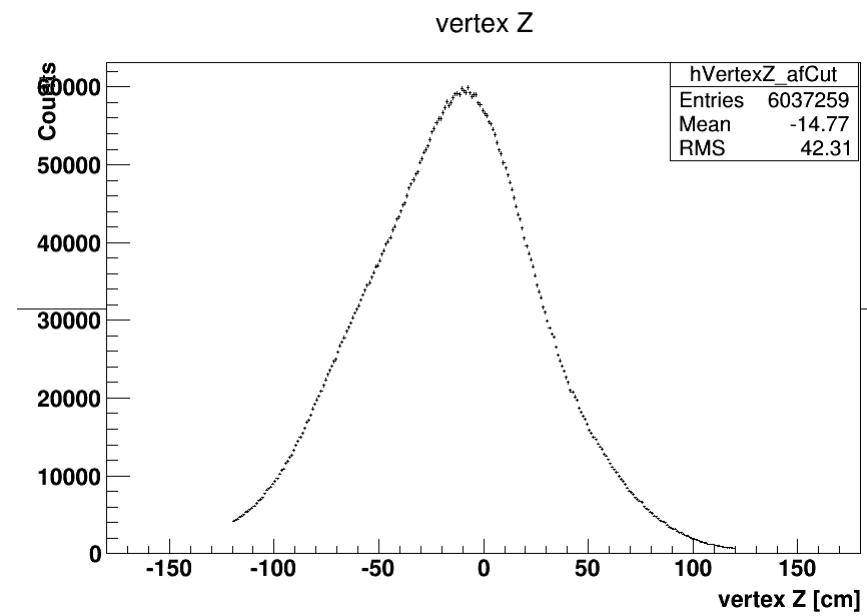
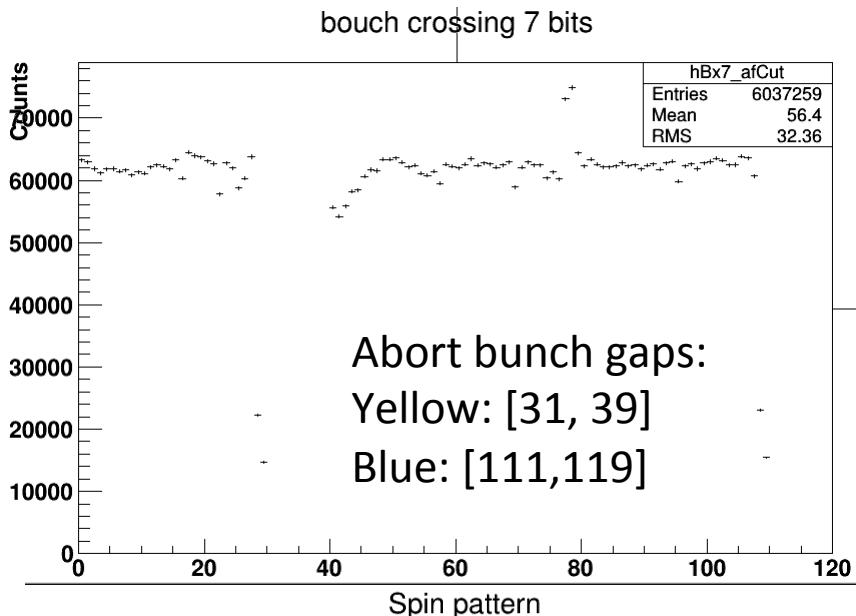
Analysis codes can be found on the path:

<http://www.star.bnl.gov/cgi-bin/protected/cvsweb.cgi/offline/users/ypwang/pi0JetAna/>

$\pi^0$  – jet QA plots can be found:

<http://www4.rcf.bnl.gov/~ypwang/pi0JetAna/pi0JetQA/>

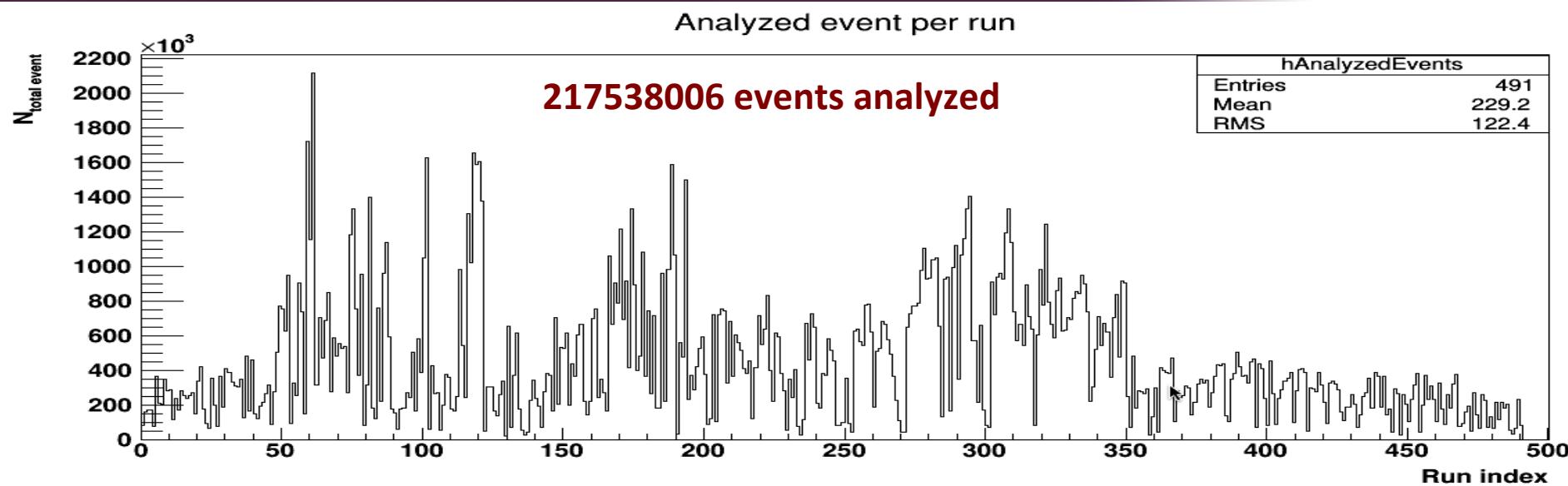
# Analysis cuts – event cuts



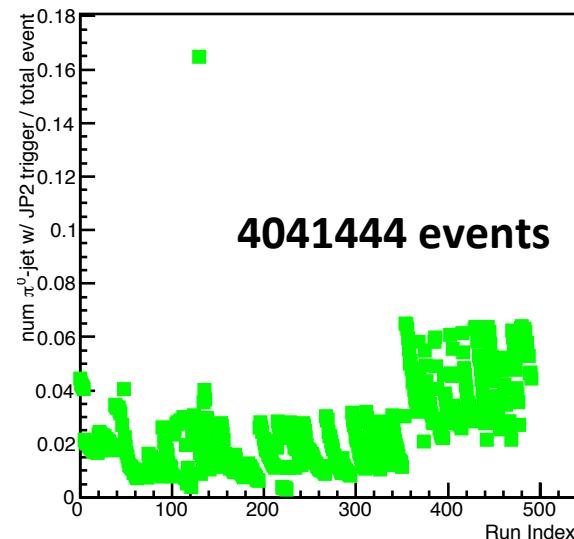
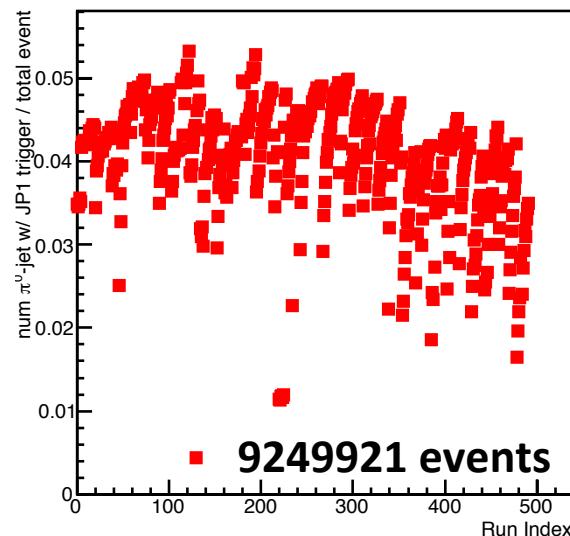
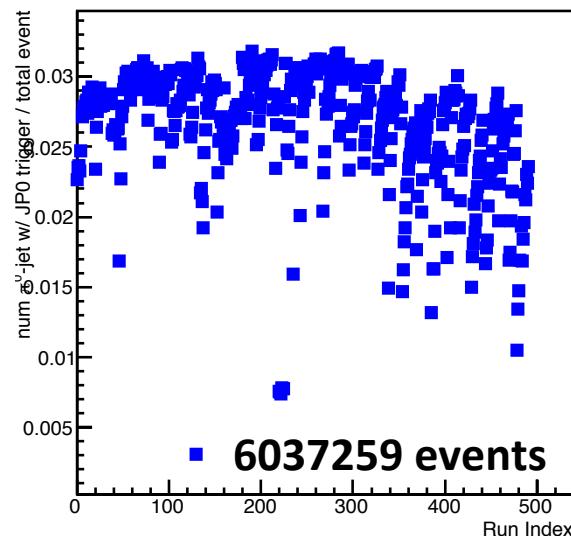
## Event selection:

- At least one barrel jet ( $|\eta| < 1.0$ ) and one forward  $\pi^0$  ( $0.8 < \eta < 2.0$ ) found
- $|vZ| < 120$  cm
- Highest rank vertex required ,  $\text{Rank}() > 0$

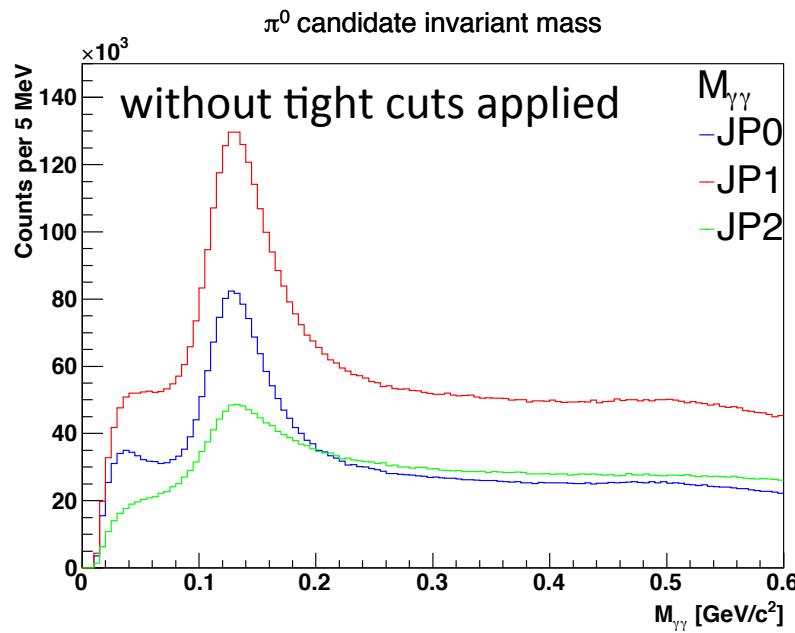
# Analysis cuts – event cuts



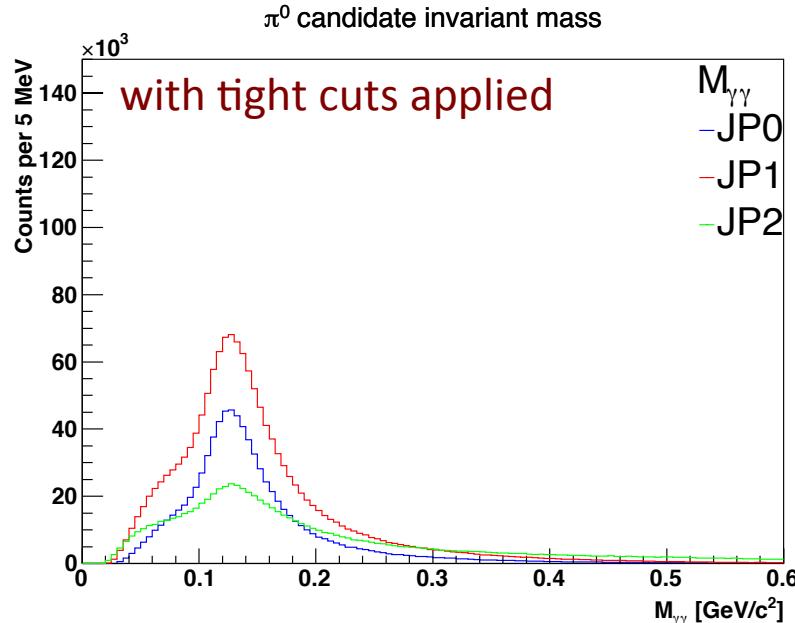
Ratio of JP0/JP1/JP2 triggered  $\pi^0$ -jet event to the total analyzed events:



# Analysis cuts – $\pi^0$ cuts



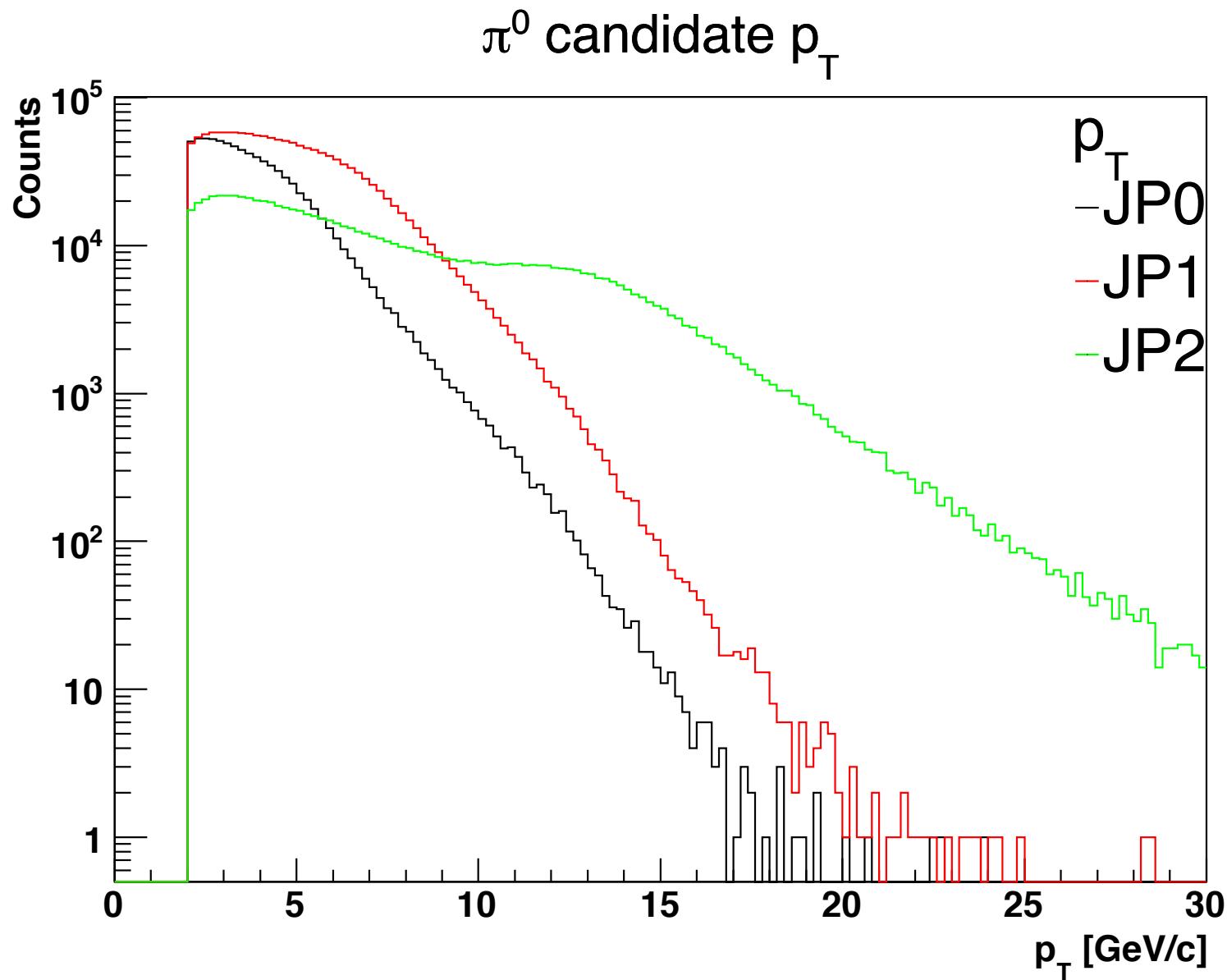
- **Hardware and software trigger conditions applied**
  - ◆ If(JP2 hardware & JP2 software)  $\text{JP2 } \pi^0$
  - ◆ If(JP1 hardware & JP1 software)  $\text{JP1 } \pi^0$
  - ◆ If(JP0 hardware & JP0 software)  $\text{JP0 } \pi^0$
- $\pi^0 p_T: > 2.0 \text{ GeV}/c$
- $\pi^0$  mass: (0, 0.6)
- $\pi^0$  physics eta: (1.086, 2.0)
- Decayed photon eta: (1.11, 1.96)
- Decayed photon 1 energy:  $> 2.0 \text{ GeV}$
- Decayed photon 2 energy:  $> 1.5 \text{ GeV}$



## Tight cuts:

- Preshower energy for each photon:  $< 40 \text{ MeV}$
- SMD relative energy threshold for each photon  $(E_{\text{cluster}1/2u} + E_{\text{cluster}1/2v})/E_{\text{tower}1/2} > 0.008$
- Photons opening angle (degree): (0.2, 3.0)
- Photons distance on EEMC plane (cm): (4.0, 20.0)
- Photons difference in eta (absolute value):  $< 0.15$

## Analysis cuts – $\pi^0$ cuts



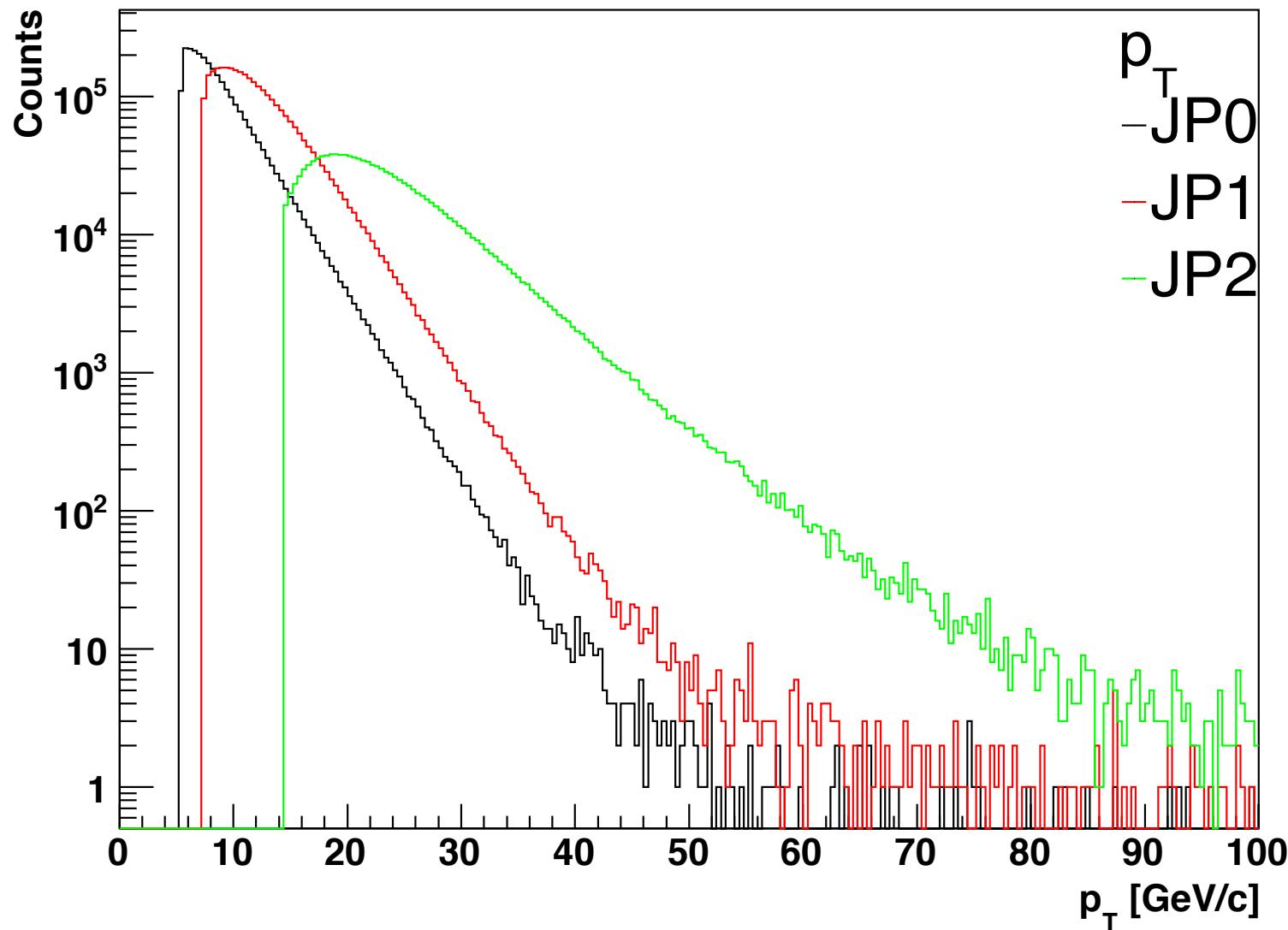
## Analysis cuts – jet cuts

- Jet  $p_T > 5.0 \text{ GeV}/c$
- Jet physics eta: (-0.9, 0.9)
- Jet detector eta: (-0.7, 0.9)
- $R_t < 0.95$
- Using Anti- $k_T$  algorithm with cone size  $R = 0.6$
- Sum track  $p_T > 0.5 \text{ GeV}/c$
- **Hardware, software and geometric trigger conditions applied**
- Triggers (threshold: JP0 5.4 GeV/c, JP1 7.3 GeV/c, JP2 14.4 GeV/c):
  - ★ If(JP2 hardware & JP2 software & geometric match JP2 & pT>14.4) JP2 jet
  - ★ If(JP1 hardware & JP1 software & geometric match JP1 & pT>7.3) JP1 jet
  - ★ If(JP0 hardware & JP0 software & geometric match JP0 & pT>5.4) JP0 jet

\* The geometric match jet patch codes are from Grant Webb's Dijet codes

## Analysis cuts – jet cuts

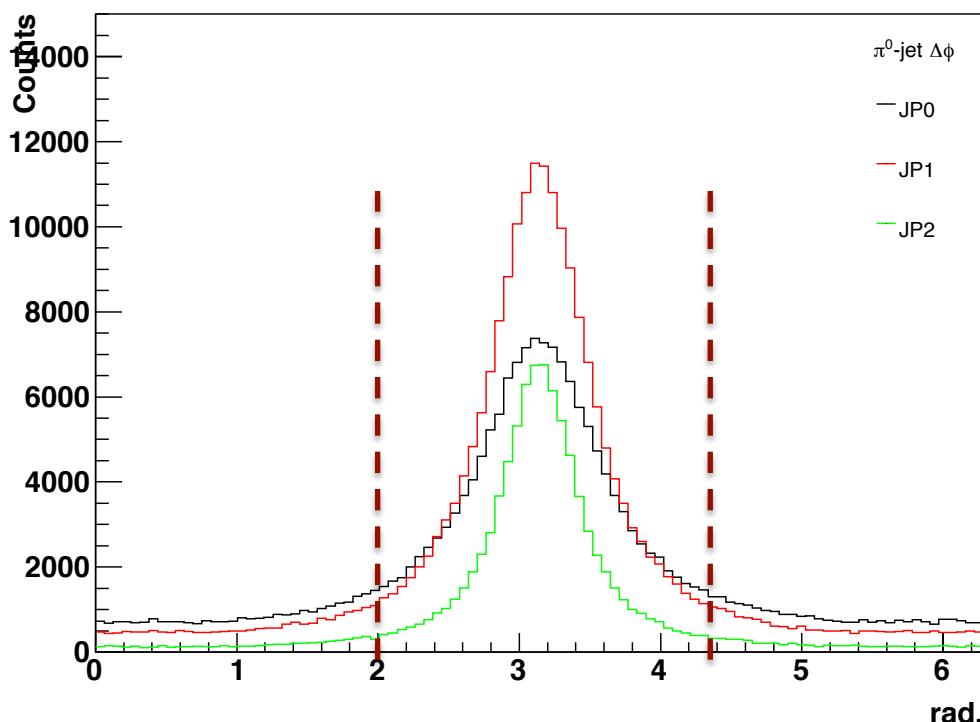
jet candidate  $p_T$



# Analysis cuts – $\pi^0$ -jet coincidence cuts

- ❖ Asymmetric  $p_T$  cut:  $p_T^{\pi^0} > 2.0 \text{ GeV}/c$ ,  $p_T^{\text{jet}} > 5.0 \text{ GeV}/c$
- ❖ Only use leading  $\pi^0$  to match a barrel jet (the higher  $p_T$  jet holds the pairing priority)
- ❖  $\Delta\phi > 2.0$  (a forward  $\pi^0$  opposite a barrel jet)
- ❖ Signal  $\pi^0$  mass region:  $(0.08, 0.2) \text{ GeV}/c^2$
- ❖ Trigger match:

- ★ If(JP2  $\pi^0$  & JP2 jet)       $\text{JP2 } \pi^0\text{-jet}$
- ★ If(JP1  $\pi^0$  & JP1 jet)       $\text{JP1 } \pi^0\text{-jet}$
- ★ If(JP0  $\pi^0$  & JP0 jet)       $\text{JP0 } \pi^0\text{-jet}$



# Variable definitions

$A_{LL}$  was measured as a function of jet or  $\pi^0 p_T$ .

To better determine  $\Delta g$ ,  $A_{LL}$  as a function of x or z are used.

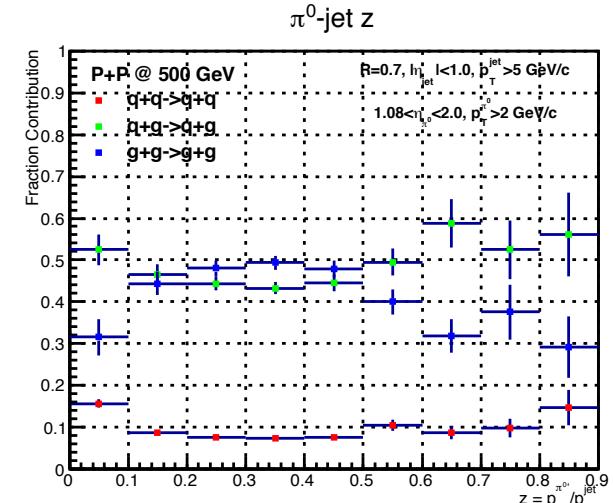
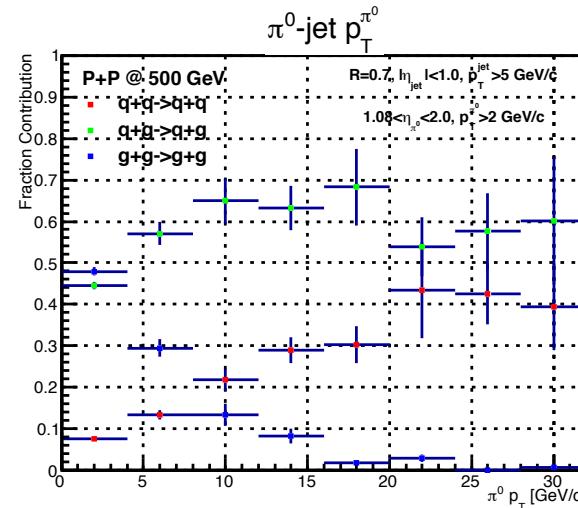
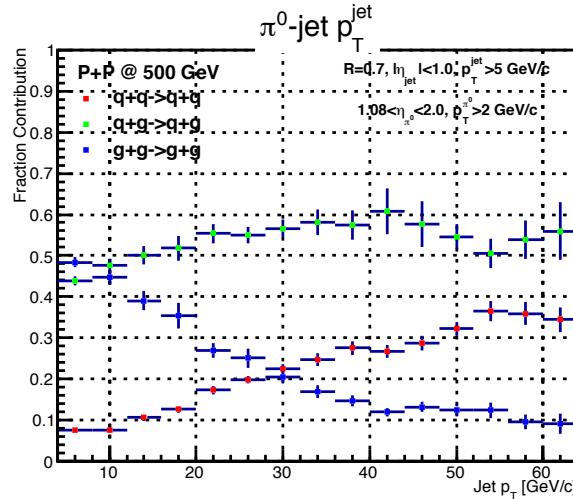
## Variable definitions:

$$z = \frac{p_T^{\pi^0}}{p_T^{jet}},$$

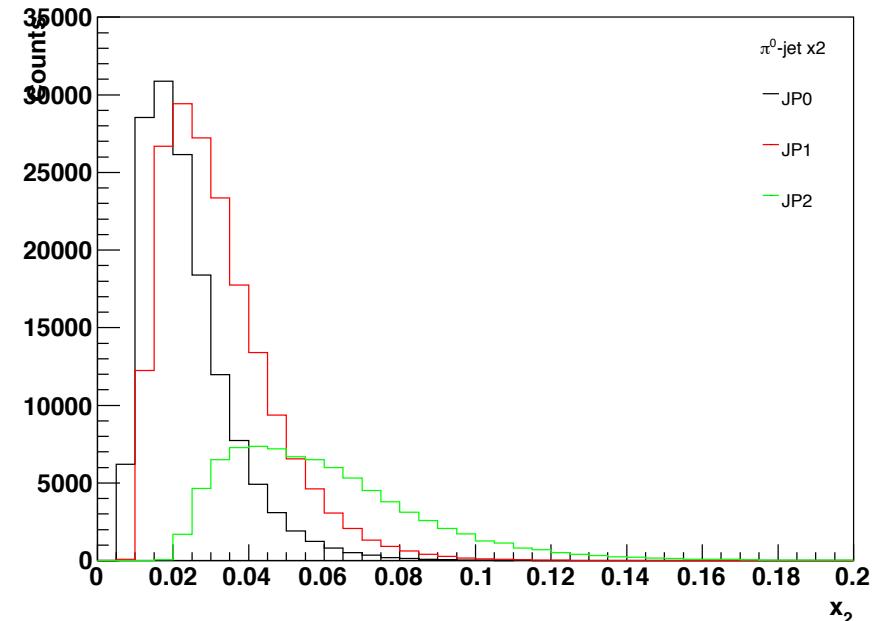
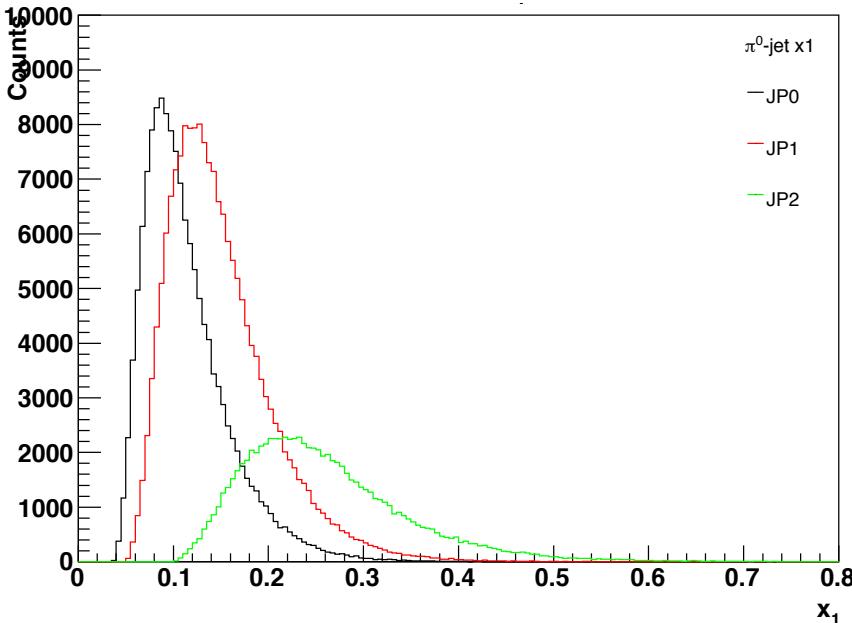
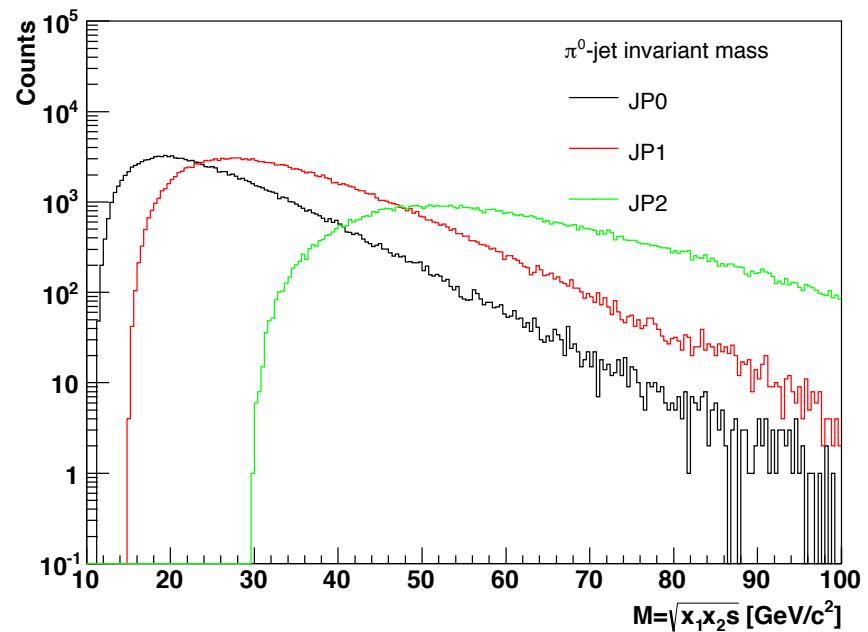
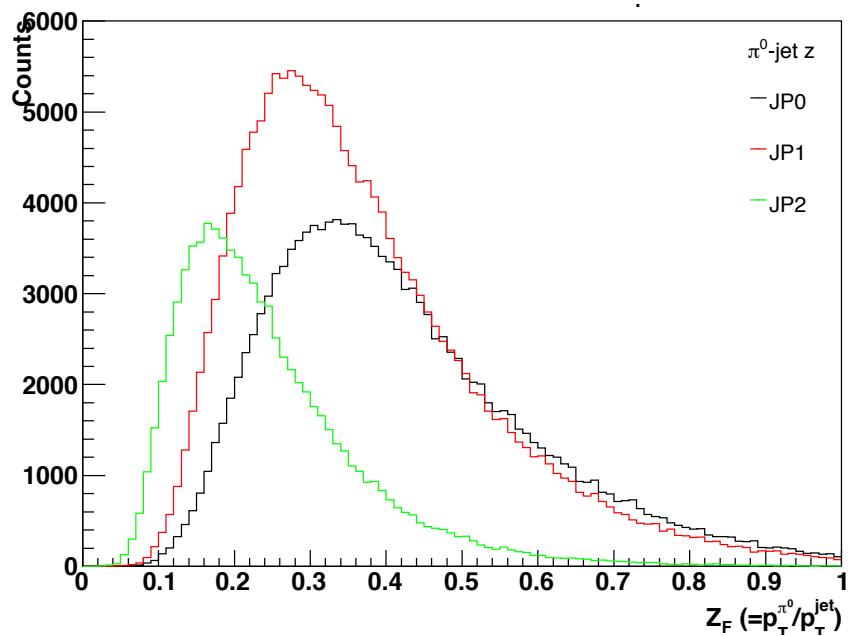
$$x_1 = \frac{p_T^{jet}}{\sqrt{s}}(e^{\eta_{jet}} + e^{\eta_{\pi^0}}), \quad x_2 = \frac{p_T^{jet}}{\sqrt{s}}(e^{-\eta_{jet}} + e^{-\eta_{\pi^0}})$$

$$invM_{\pi^0-jet} = \sqrt{x_1 x_2 s}.$$

## Pythia simulation: sub-process fraction as a function of $p_T$ and z:



# Variable distributions from Run12 data



# Variable binning

```
const Int_t nPiOPTbins = 13; //20% resolution
const Double_t mPiOPTbins[nPiOPTbins + 1] = { 2.0, 3.0, 4.0, 5.0, 6.0, 7.0, 8.4, 10.0, 12.0, 14.4, 17.3, 20.7,
25.0, 30.0};

const Int_t nJetPTbins = 15; // jet pT bin 18% resolutions
const Double_t mJetPTbins[nJetPTbins + 1] = {5.0, 6.0, 7.1, 8.4, 9.9, 11.7, 13.8, 16.3, 19.2, 22.7, 26.8,
31.6, 37.3, 44.0, 51.9, 61.2};

const Int_t nPi0JetMassbins = 13; //20% resolution
const Double_t mPi0JetMassbins[nPi0JetMassbins+1] = {10.0, 12.0, 14.4, 17.3, 20.7, 24.9, 29.9, 35.9,
43.0, 51.7, 62.0, 74.4, 89.3, 100.0};

const Int_t nZbins = 7; // z 150% resolution
const Double_t mZbins[nZbins+1] = { 0.06, 0.09, 0.135, 0.20, 0.30, 0.45, 0.675, 1.0};

const Int_t nXbins = 8; // x1/x2 150% resolution
const Double_t mX1bins[nXbins+1] = { 0.025, 0.045, 0.070, 0.100, 0.150, 0.230, 0.35, 0.53, 0.8};
const Double_t mX2bins[nXbins+1] = { 0.005, 0.010, 0.015, 0.023, 0.035, 0.053, 0.08, 0.12, 0.2};
```

# Asymmetry results – Asymmetries

**Longitudinal double spin asymmetries:**

$$A_{LL} = \frac{\sum P_Y P_B [(N^{++} + N^{--}) - R_3(N^{+-} + N^{-+})]}{\sum P_Y^2 P_B^2 [(N^{++} + N^{--}) + R_3(N^{+-} + N^{-+})]}$$
$$\delta A_{LL} = \frac{\sqrt{\sum P_Y^2 P_B^2 [\delta(N^{++} + N^{--})^2 + R_3^2 \delta(N^{+-} + N^{-+})^2]}}{\sum P_Y^2 P_B^2 [(N^{++} + N^{--}) + R_3(N^{+-} + N^{-+})]}$$

**Longitudinal single-spin asymmetries:**

$$A_L^Y = \frac{\sum P_Y [(N^{++} + N^{+-}) - R_1(N^{--} + N^{-+})]}{\sum P_Y^2 [(N^{++} + N^{+-}) + R_1(N^{--} + N^{-+})]}$$
$$A_L^B = \frac{\sum P_B [(N^{++} + N^{-+}) - R_2(N^{--} + N^{+-})]}{\sum P_B^2 [(N^{++} + N^{-+}) + R_2(N^{--} + N^{+-})]}$$

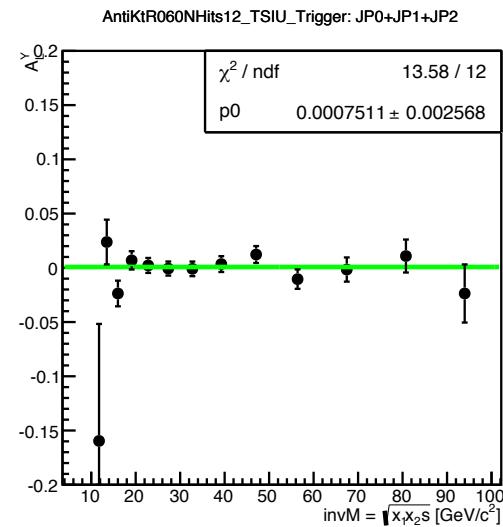
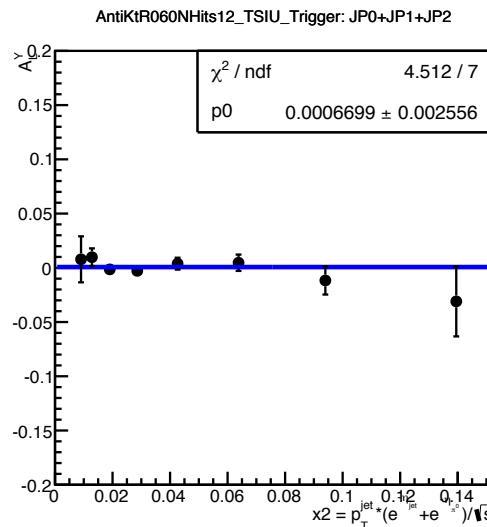
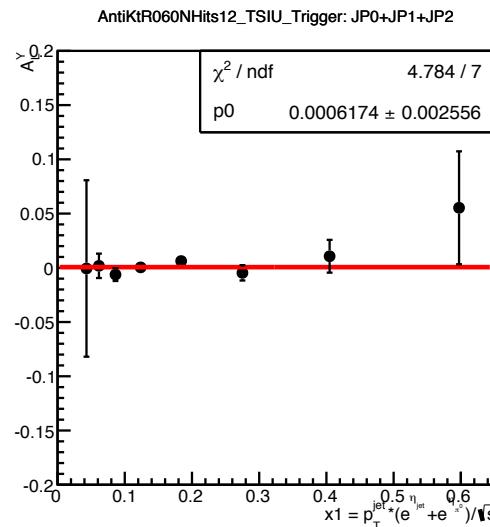
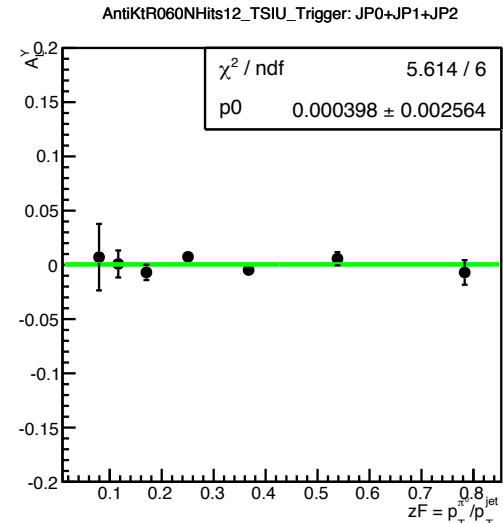
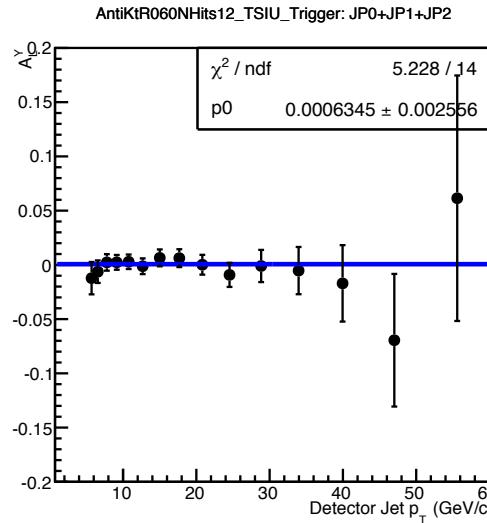
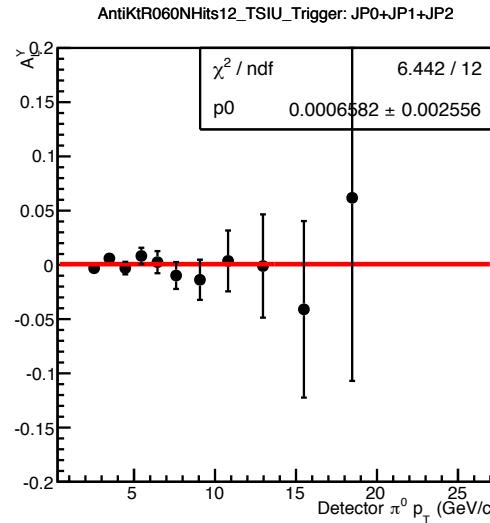
**Like-sign/Unlike-sign asymmetry:**

$$A_{LL}^{ls} = \frac{\sum P_Y P_B (N^{++} - R_4 N^{--})}{\sum P_Y^2 P_B^2 (N^{++} + R_4 N^{--})}$$

$$A_{LL}^{us} = \frac{\sum P_Y P_B (R_6 N^{+-} - R_5 N^{-+})}{\sum P_Y^2 P_B^2 (R_6 N^{+-} + R_5 N^{-+})}$$

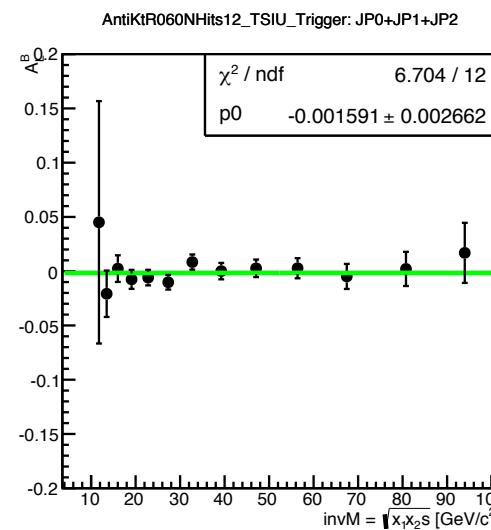
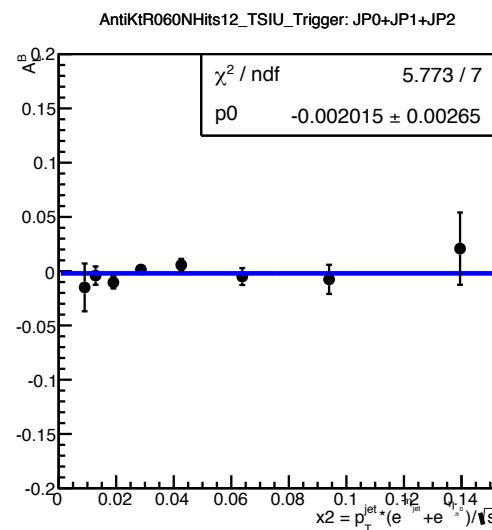
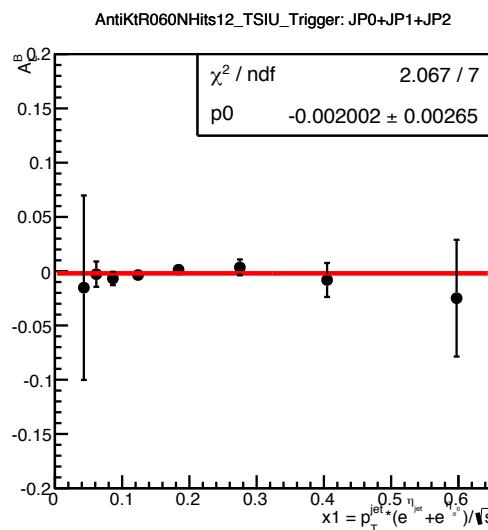
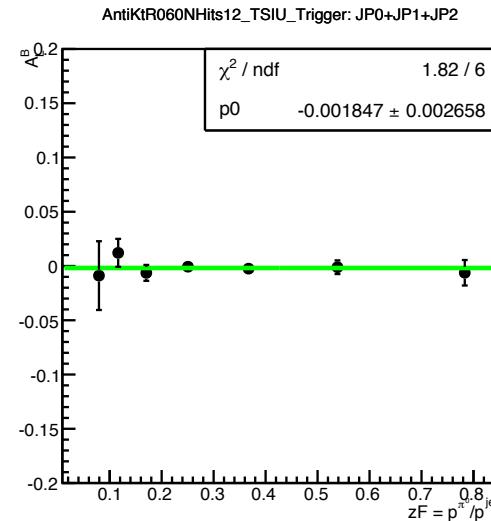
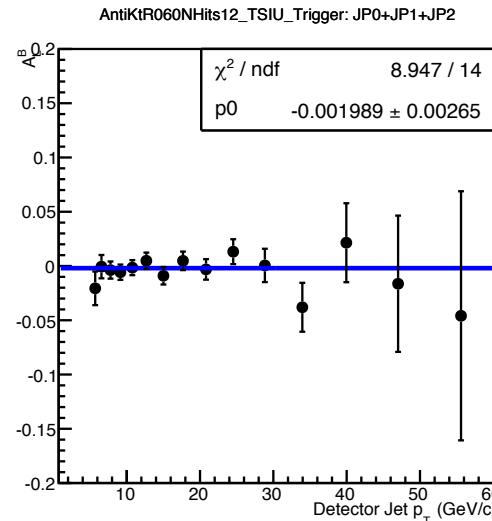
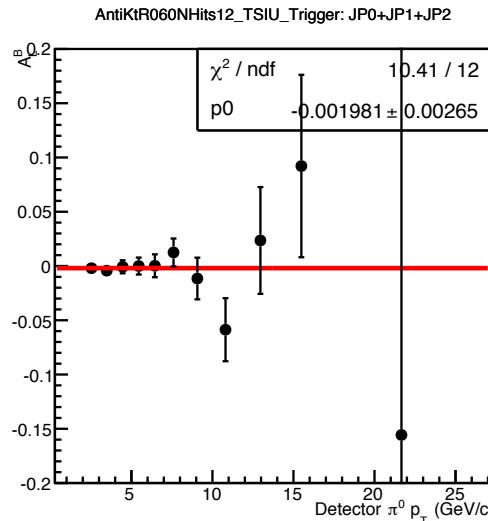
# Asymmetry results – False asymmetries

## Longitudinal single-spin asymmetries (Yellow beam): combined triggers



# Asymmetry results – False asymmetries

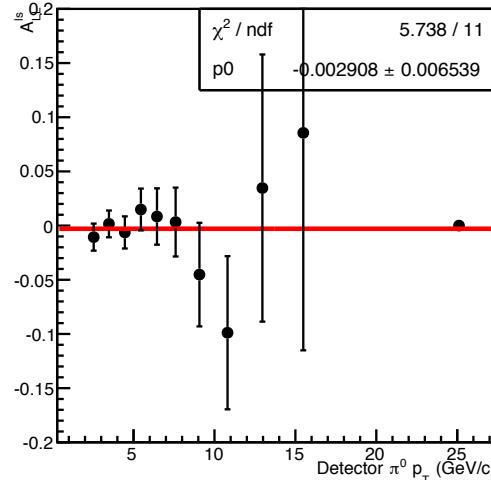
## Longitudinal single-spin asymmetries (Blue beam): combined triggers



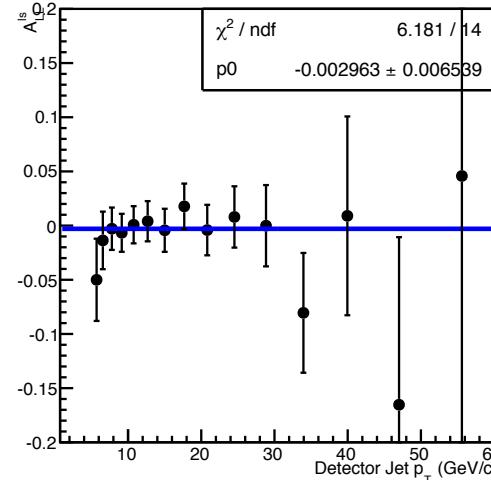
# Asymmetry results – False asymmetries

## Like-sign asymmetry: combined triggers

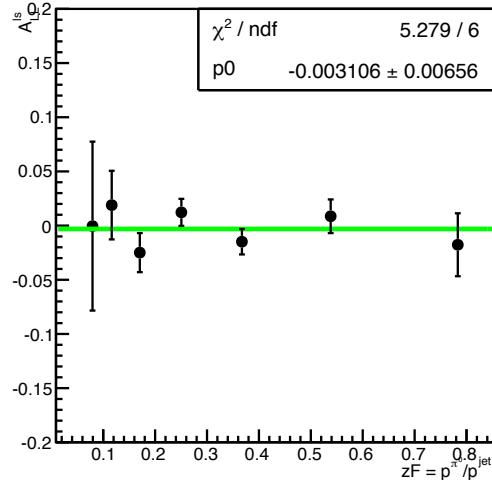
AntiKtR060NHits12\_TSIU\_Trigger: JP0+JP1+JP2



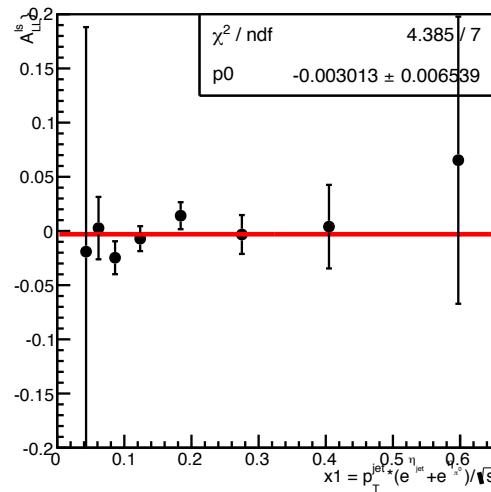
AntiKtR060NHits12\_TSIU\_Trigger: JP0+JP1+JP2



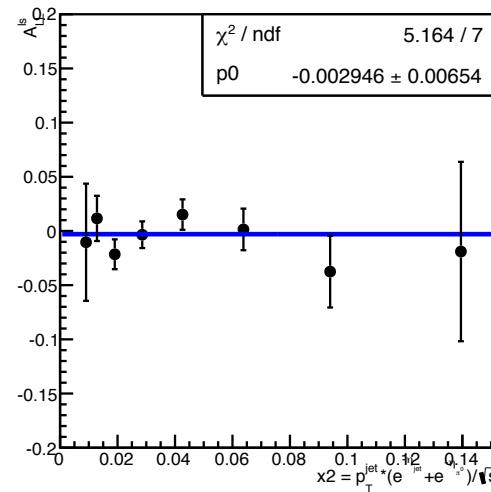
AntiKtR060NHits12\_TSIU\_Trigger: JP0+JP1+JP2



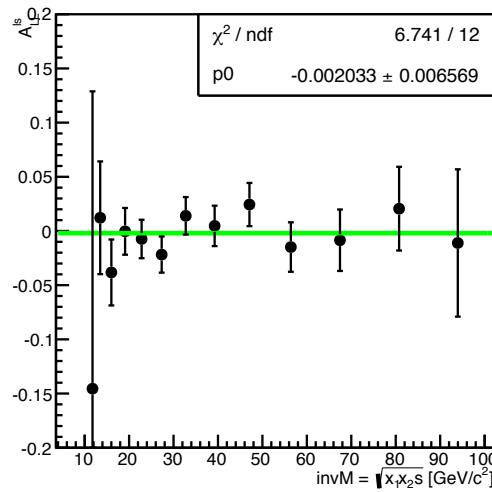
AntiKtR060NHits12\_TSIU\_Trigger: JP0+JP1+JP2



AntiKtR060NHits12\_TSIU\_Trigger: JP0+JP1+JP2

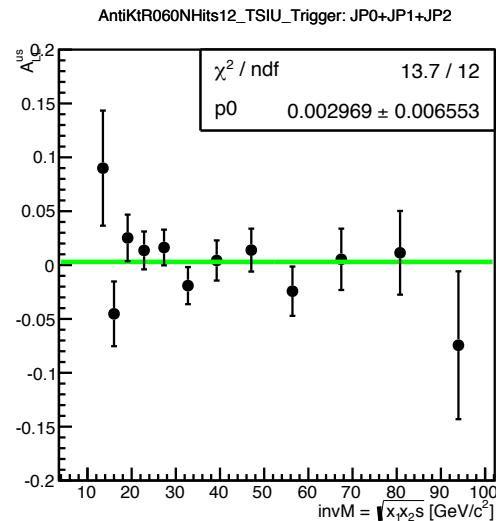
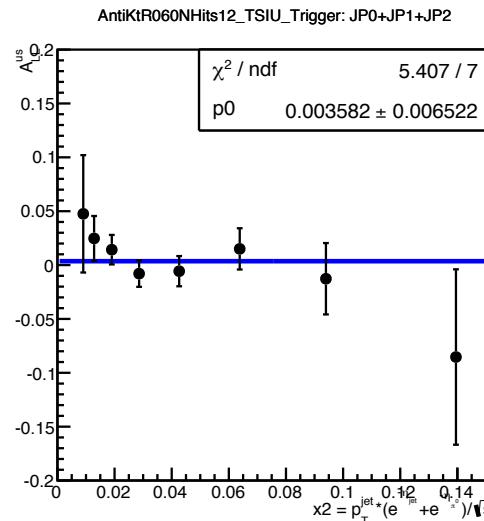
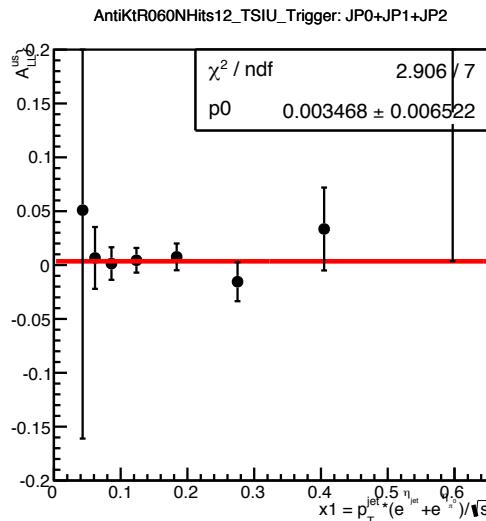
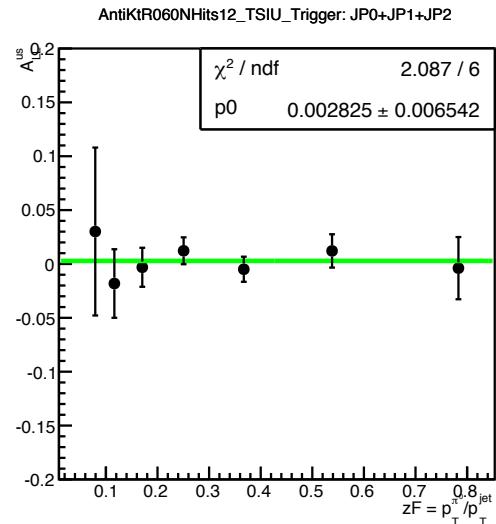
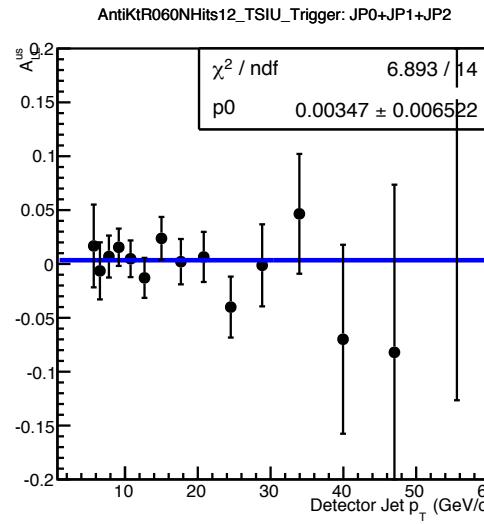
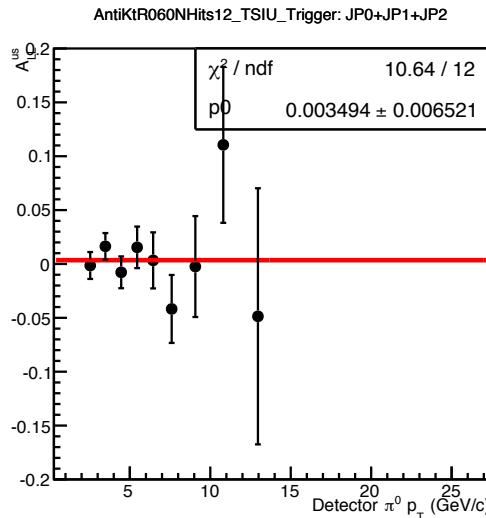


AntiKtR060NHits12\_TSIU\_Trigger: JP0+JP1+JP2



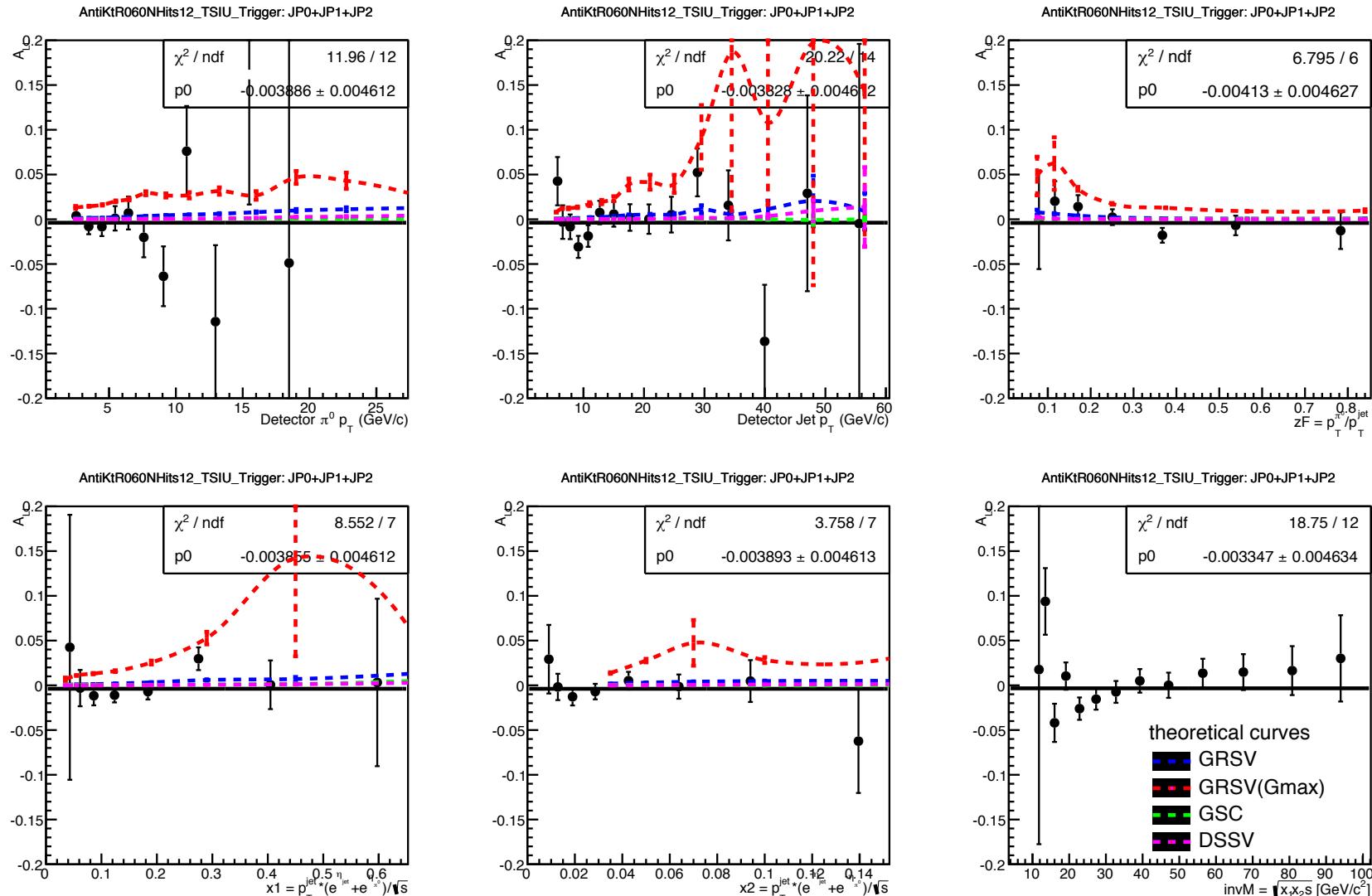
# Asymmetry results – False asymmetries

## Unlike-sign asymmetry: combined triggers



# Asymmetry results – Longitudinal double spin asymmetry

Theoretical  $A_{LL}$  curves\* are calculated to compare with data:



# Discussion and Next To Do

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## Discussion:

Comments and suggestion are welcome

## Next to do:

- (1) Optimizing  $\pi^0$  cuts to get clean  $\pi^0$ s
- (2) Systematic errors
- (3) ...

Thanks for your attention!